

Consider a  $S'$  frame moving with a speed  $v$  in 1D with respect to a stationary frame  $S$ . Using your everyday intuition, write down the relationship between a position measurement  $x$  and  $x'$ .

*Be ready to explain why this makes sense to you.*

The Galilean transformation between  $S'$  and  $S$  is:

$$x = x' + vt$$

The Lorentz transformation will introduce a  $\gamma$ , where do you think it goes? And why?

I'm in frame  $S$ , and you are in is in Frame  $S'$ , which moves with speed  $V$  in the  $+x$  direction.

An object moves in the  $S'$  frame in the  $+x$  direction with speed  $v'_x$ . Do I measure its  $x$  component of velocity to be

$$v_x = v'_x?$$

A. Yes

B. No

C. ???

I'm in frame  $S$ , and you are in is in Frame  $S'$ , which moves with speed  $V$  in the  $+x$  direction.

An object moves in the  $S'$  frame in the  $+y$  direction with speed  $v'_y$ . Do I measure its  $y$  component of velocity to be

$$v_y = v'_y?$$

A. Yes

B. No

C. ???

With Einstein's velocity addition rule,

$$u = \frac{u' + v}{1 + \frac{u'v}{c^2}}$$

what happens when  $v$  is very small compared to  $c$ ?

- A.  $u \rightarrow 0$
- B.  $u \rightarrow c$
- C.  $u \rightarrow \infty$
- D.  $u \approx u' + v$
- E. Something else

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