Is the following mathematical operation ok?

$$\nabla \times \left(\frac{1}{4\pi\epsilon_0} \int \int \int_V \frac{\rho(\mathbf{r}')d\tau'}{\Re^2} \hat{\Re} \right) = \frac{1}{4\pi\epsilon_0} \int \int \int_V \left(\nabla \times \frac{\rho(\mathbf{r}')d\tau'}{\Re^2} \hat{\Re} \right)$$

A. Yup. It's just fine and I can say whyB. I think it's fine, but I'm not sure I know whyC. No, we can't exchange the curl and integral!D. I'm not sure.

ANNOUNCEMENTS

- Homework 4 due Wednesday
- Exam 1 next Wednesday
 - Topics: Charge, Electric field, δ functions, Electric potential
 - Sections: Ch 1.1-1.5 and 2.1-2.3
- More detailed information coming this Wednesday!

Is it mathematically ok to do this? $\mathbf{E} = \frac{1}{4\pi\varepsilon_0} \int_{V} \rho(\mathbf{r}') d\tau' \left(-\nabla \frac{1}{\Re}\right)$ $\longrightarrow \mathbf{E} = -\nabla \left(\frac{1}{4\pi\varepsilon_0} \int_V \rho(\mathbf{r}') d\tau' \frac{1}{\Re} \right)$ A. Yes B. No C. ???

If $\nabla \times \mathbf{E} = 0$, then $\oint_C \mathbf{E} \cdot d\mathbf{l} =$ A. 0 B. something finite C. ∞ D. Can't tell without knowing C

Can superposition be applied to electric potential, V?

$$V_{tot} \stackrel{?}{=} \sum_{i} V_i = V_1 + V_2 + V_3 + \dots$$

A. Yes B. No C. Sometimes

The potential is zero at some point in space. You can conclude that:

- A. The E-field is zero at that point
- B. The E-field is non-zero at that point
- C. You can conclude nothing at all about the E-field at that point

The potential is constant everywhere along in some region of space.

You can conclude that:

A. The E-field has a constant magnitude in that space.

- B. The E-field is zero in that space.
- C. You can conclude nothing at all about the magnitude of ${\ensuremath{E}}$ along that line.

A spherical *shell* has a uniform positive charge density on its surface. (There are no other charges around.)

What is the electric field *inside* the sphere?

- A. $\mathbf{E} = 0$ everywhere inside
- B. ${f E}$ is non-zero everywhere in the sphere
- C. $\mathbf{E} = 0$ only that the very center, but non-zero elsewhere inside the sphere.
- D. Not enough information given





Could this be a plot of $|\mathbf{E}(r)|$? Or V(r)? (for SOME physical situation?)

A. Could be E(r), or V(r)

B. Could be E(r), but can't be V(r)

C. Can't be E(r), could be V(r)

D. Can't be either

E. ???